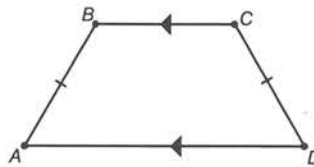
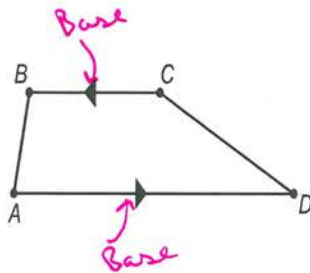
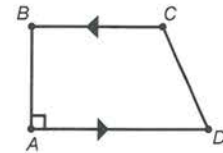


## Trapezoids

Trapezoid: Quad. with 1 pair of // sides.



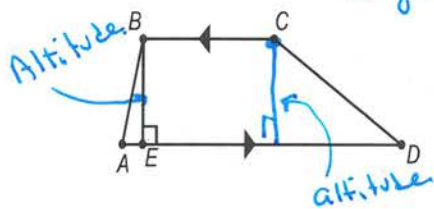
Isosceles Trapezoid.



Right Trapezoid.

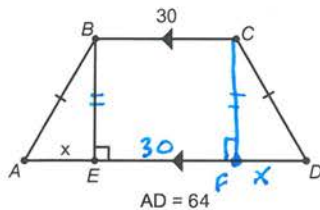
Base < pair :  $\angle A$  and  $\angle D$   
 $\angle B$  and  $\angle C$ .

Trapezoid Altitude:



$\perp$  goes from a vertex  $\perp$  to the base on the opposite side.

Example: Find the value of  $x$ .



$\triangle ABE \cong \triangle DCF$  by H.L.

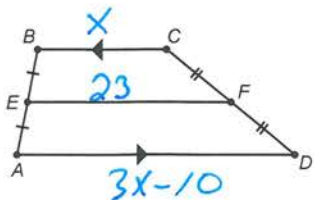
$$x + 30 + x = 64 \quad \text{by seg. Addition.}$$

$$2x + 30 = 64$$

$$2x = 34$$

$$x = 17.$$

Trapezoid Median: Connects the midpoints of the non-// sides.



Theorem 1: // to Both of the bases.

Theorem 2:  $\frac{1}{2}$  the sum of the lengths of the bases.

Example: Trapezoid ABCD with Median EF.  $BC = x$ ,  $EF = 23$ ,  $AD = 3x - 10$ .

Find the value of  $x$ .

$$2(23) = x + 3x - 10$$

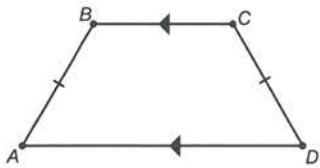
$$46 = 4x - 10$$

$$56 = 4x$$

$$x = 14$$

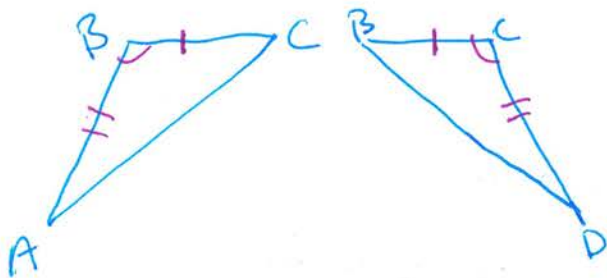
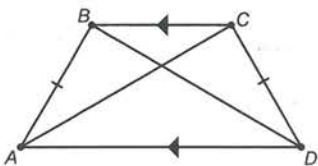
Isosceles Trapezoid: trap. with non- $\parallel$  sides  $\cong$ .

Theorem 1: Base  $\angle$ 's of Isosc. trap are  $\cong$ .



$\angle B \cong \angle C$   
and  
 $\angle A \cong \angle D$ .

Theorem 2: Diagonals of an Isosc. trap are  $\cong$ .



$\triangle ABC \cong \triangle DCB$  by SAS.

So, Diags  $\overline{AC} \cong \overline{DB}$  by CPCTC.

\*notice: the diags Do NOT  
bisect each other.

What if they did?

then ABCD would be  
a  $\parallel$ -ogram!